Assignment 1

COMP 511: Network Science

Due on January 24th 2025

an be submitted individually or in groups of up to three.

- → these give quick tips and are not requirements.
- 1. Choose three datasets in the Barabasi book (here), compute and report [65%]:
 - \rightarrow make them simple graphs, i.e., remove self-loops, multi-edges, and directions (i.e., make them symmetric).
 - (a) node/edge sizes, number of connected components, size of the giant/largest connected component,
 - \rightarrow useful functions: numpy.loadtxt(), scipy.sparse.csc_matrix(), scipy.sparse.csgraph.connected_components()
 - (b) degree distribution, and it's power-law fit (also plot the line and report the slope),
 - → useful functions: scipy.sparse.csc_matrix(), numpy.polyfit()
 - \rightarrow bin and count to get the distribution and plot in log-log scale.
 - (c) shortest paths distribution (also compute/report the average),
 - → useful functions: from scipy.sparse.csgraph
 - \rightarrow For larger graphs, consider sampling a fraction of nodes (pairs) to estimate the distribution shape.
 - (d) clustering coefficient distribution (compute the average as well),
 - \rightarrow compute if for a (sampled) set of nodes and convert the sequence to distribution similar to (a).
 - \rightarrow same tip (\uparrow) for large graphs also applies here and to (f)-(g).
 - (e) eigenvalue spectrum (also compute/report the spectral gap),
 - \rightarrow useful functions: scipy.sparse.linalg.eigs() \rightarrow compute/plot only 100 first eignevalues, ordered by rank.
 - (f) degree correlations (use a scatter plot for d_i vs. d_i , also report the overall correlation),
 - \rightarrow plot degree of source vs. degree of destination, axes would be 0 to the max degree.
 - \rightarrow use a scatter plot: a point is plotted per each edge positioned by the degree values of its incident nodes.
 - \rightarrow alternatively, you can plot this correlation as instructed in Barbasi's book.
 - → use counting, binning, or plot edges/points with low intensity to capture regions with high density.
 - (g) degree-clustering coefficient relation (plot as scatter d_i vs c_i)
 - \rightarrow plot degree of node vs. its clustering coefficient.
 - \rightarrow to manage points plotted over each other, use the same tip (\uparrow) for i.e., use binning, density plot, or transparency.
- 2. Report the computational complexity for (a)-(g), as well as the space and time complexity of loading the graphs [5%]
- 3. Implement the Albert-Barabasi graph model, compute the same (a)-(g) distributions for three synthetic networks generated by this model, with parameters set to create graphs of similar size as the graphs you have chosen in part 1. [30%]
 - \rightarrow same number of nodes, estimate edges added in each iteration based on the total number of edges
- 4. [Bonus:] Measure and report another pattern for the graphs (you could define them yourself) that you find interesting. Could be also a specific way of visualizing them. [5%]

Submit the report in pdf and code as separate attachments in the Mycourses portal.